

# Graph representation learning of MEG signals opens a window to aging trajectories and Alzheimer's disease

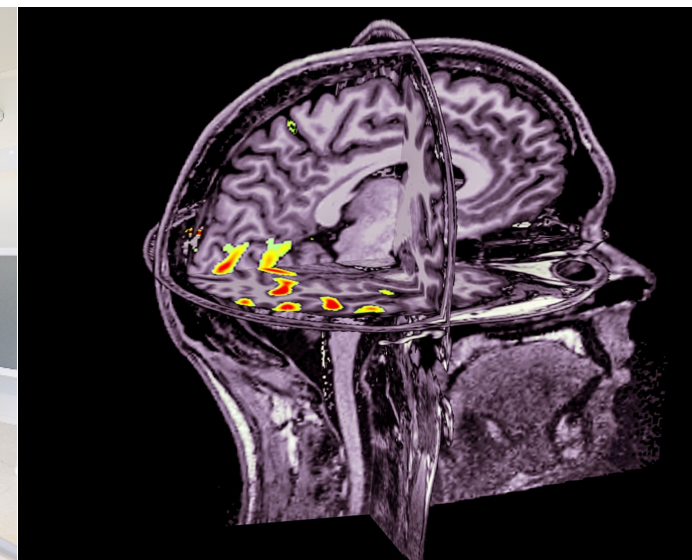
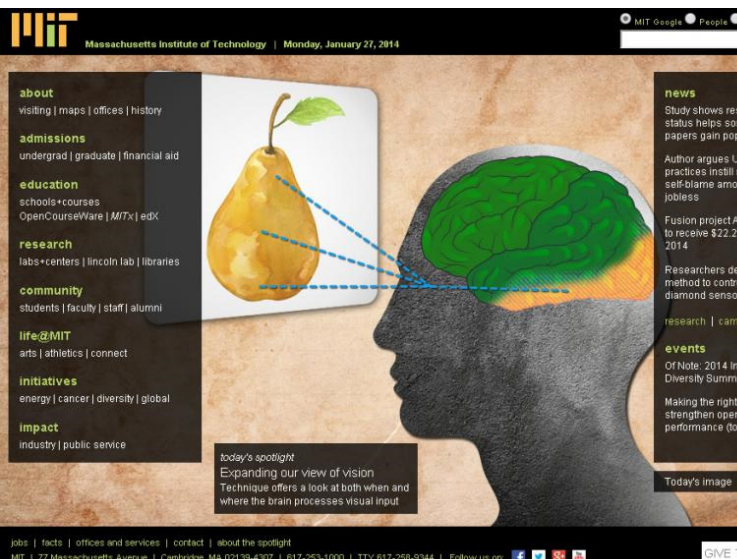
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**Director, Magnetoencephalography Laboratory**

**Massachusetts Institute of Technology**



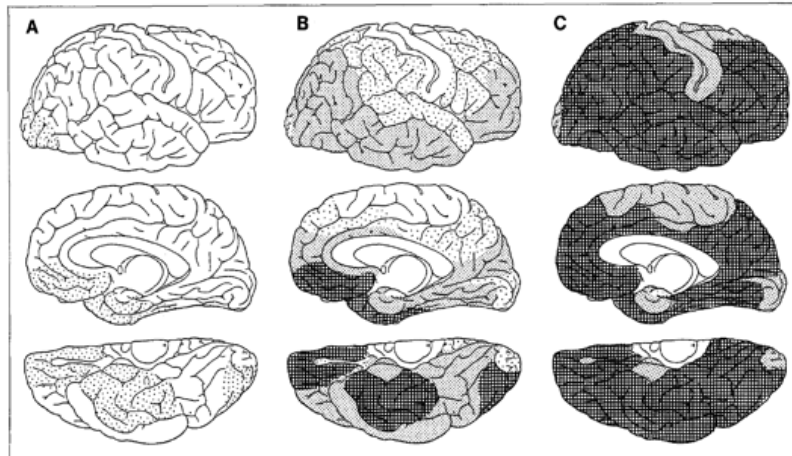
# Alzheimer's disease pathology

**Alzheimer's disease (AD)** is a **brain network disease (connectopathy)** with complex etiology and multiple pathogeneses.

Magnetoencephalography (MEG)

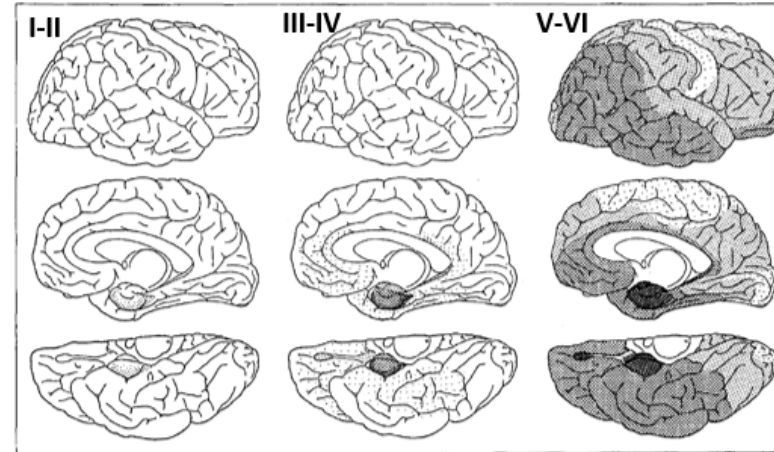
Neuropathological staging of AD with autopsy of 83 brains of individuals with dementia (Braak and Braak, 1991)

## Amyloid deposits



Stage A: basal portions of the cortex  
Stage B: all cortical association areas  
Stage C: all areas of the cortex

## Tau deposits



Stage I-II: transentorhinal region  
Stage III-IV: severe involvement of entorhinal and transentorhinal  
Stage V-VI: cortical destruction

Genetic mutation and risk factors

Misfolding of A $\beta$ , and tau followed by plaques and tangles

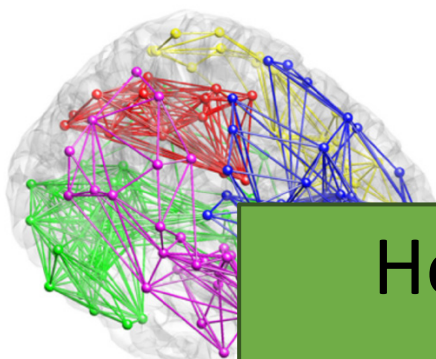
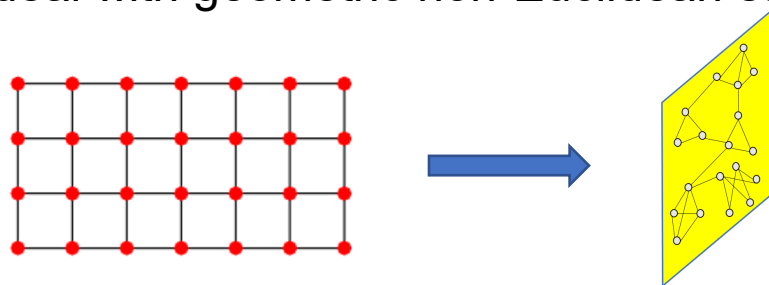
Pathogenic neuronal activity

autopsy

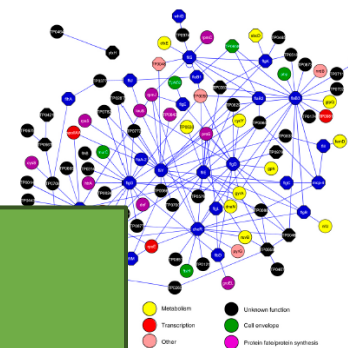
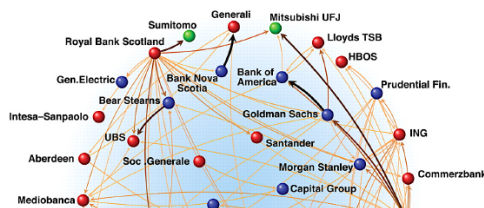


# Geometric (graph) deep learning

Increasingly more fields have to deal with geometric non-Euclidean structured data such as graphs.



Human brain



Networks of material motility

How do we take advantage of the relational structure for better prediction?



Social networks



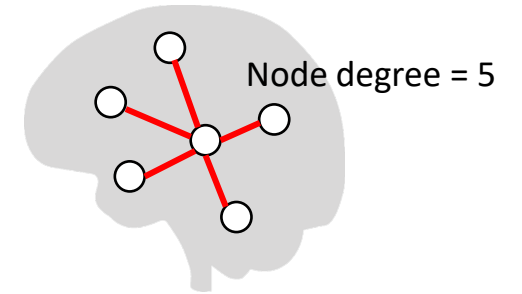
Internet of things



Boston MBTA traffic network

# Graph theory

Prior studies primarily focused on handcrafted, domain-specific (ad-hoc) **graph topological properties** of brain networks constructed by MEG (node degree, node centrality, clustering coefficient,...).



## Box 2 | Network measures

A network is defined in graph theory as a set of nodes or vertices and the edges or lines between them. Graph topology can be quantitatively described by a wide variety of measures, some of which are discussed here. It is not yet established which measures are most appropriate for the analysis of brain networks. The figure shows a schematic diagram of a brain network drawn as a directed (left) and an undirected (right) graph; both structural and functional networks can be either directed or undirected (BOX 1).

### Node degree, degree distribution and assortativity

The degree of a node is the number of connections that link it to the rest of the network — this is the most fundamental network measure and most other measures are ultimately linked to node degree. The degrees of all the network's nodes form a degree distribution<sup>15</sup>. In random networks all connections are equally probable, resulting in a Gaussian and symmetrically centred degree distribution. Complex networks generally have non-Gaussian degree distributions, often with a long tail towards high degrees. The degree distributions of scale-free networks follow a power law<sup>90</sup>. Assortativity is the correlation between the degrees of connected nodes. Positive assortativity indicates that high-degree nodes tend to connect to each other.

### Clustering coefficient and motifs

If the nearest neighbours of a node are also directly connected to each other they form a cluster. The clustering coefficient quantifies the number of connections that exist between the nearest neighbours of a node as a proportion of the maximum number of possible connections<sup>15</sup>. Random networks have low average clustering whereas complex networks have high clustering (associated with high local efficiency of information transfer and robustness). Interactions between neighbouring nodes can also be quantified by counting the occurrence of small motifs of interconnected nodes<sup>150</sup>. The distribution of different motif classes in a network provides information about the types of local interactions that the network can support<sup>49</sup>.

### Path length and efficiency

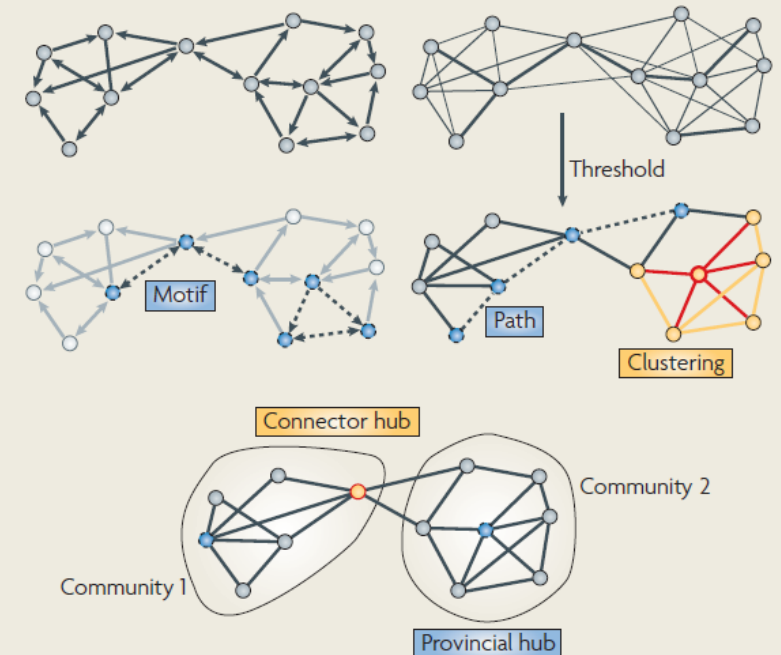
Path length is the minimum number of edges that must be traversed to go from one node to another. Random and complex networks have short mean path lengths (high global efficiency of parallel information transfer) whereas regular lattices have long mean path lengths. Efficiency is inversely related to path length but is numerically easier to use to estimate topological distances between elements of disconnected graphs.

## Hubs, centrality and robustness

Hubs are nodes with high degree, or high centrality. The centrality of a node measures how many of the shortest paths between all other node pairs in the network pass through it. A node with high centrality is thus crucial to efficient communication<sup>151</sup>. The importance of an individual node to network efficiency can be assessed by deleting it and estimating the efficiency of the 'lesioned' network. Robustness refers either to the structural integrity of the network following deletion of nodes or edges or to the effects of perturbations on local or global network states.

## Modularity

Many complex networks consist of a number of modules. There are various algorithms that estimate the modularity of a network, many of them based on hierarchical clustering<sup>23</sup>. Each module contains several densely interconnected nodes, and there are relatively few connections between nodes in different modules. Hubs can therefore be described in terms of their roles in this community structure<sup>27</sup>. Provincial hubs are connected mainly to nodes in their own modules, whereas connector hubs are connected to nodes in other modules.



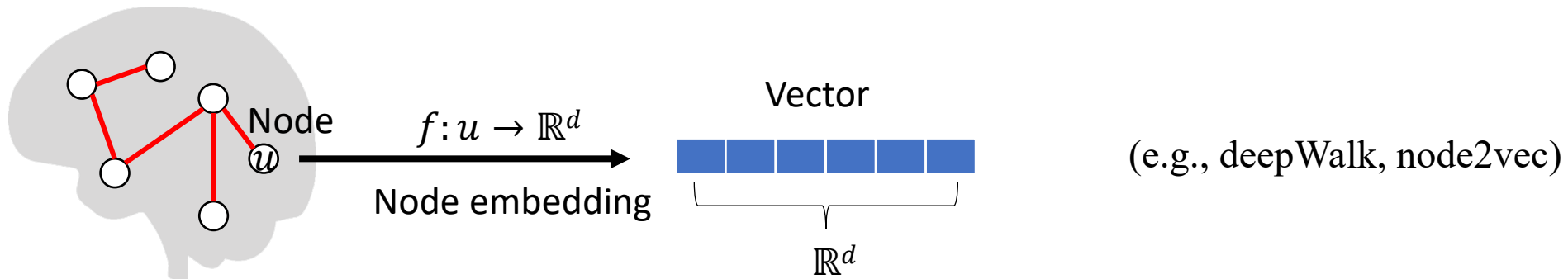


# Graph representation learning

Inductive and automatic network representation learning from raw MEG functional imaging data remains an open problem.

Recently, emerging graph embedding techniques (e.g., deepWalk, node2vec, Graph2Gauss, etc.) enabled automatic learning of hierarchical, heterogeneous and latent network representations from original complex and high-dimensional graphs in irregular domains.

## Vector embedding

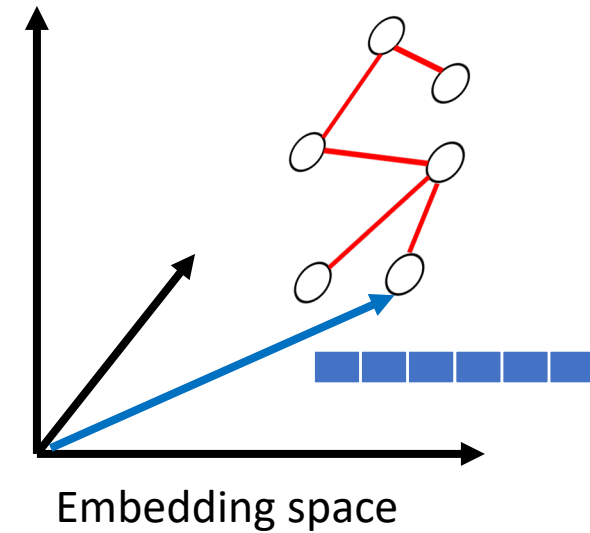
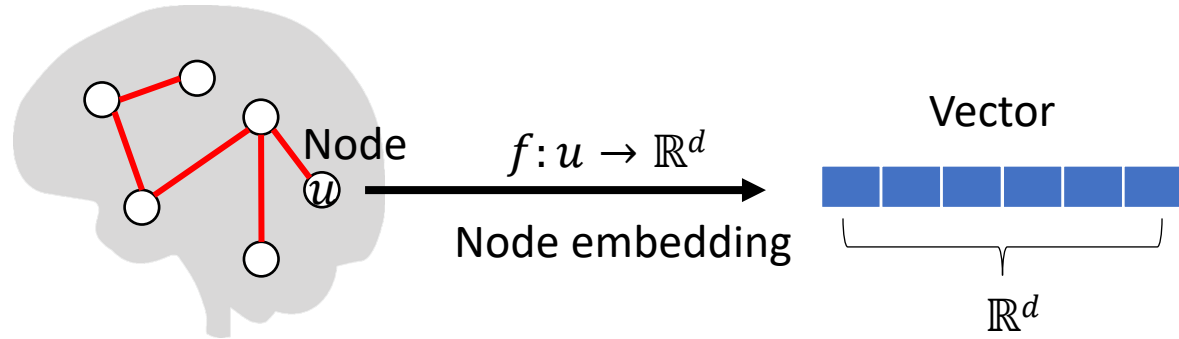




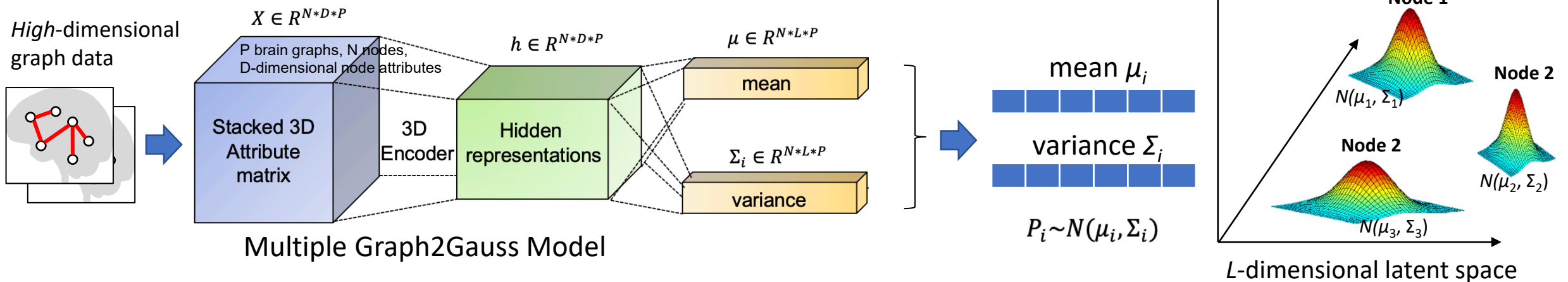


# Graph embedding

## Vector embedding (e.g. deepWalk, node2vec)



## Stochastic Gaussian embedding



Bojchevski, A., & Günnemann, S. (2017). Deep Gaussian Embedding of Graphs: Unsupervised Inductive Learning via Ranking. *ArXiv:1707.03815 [Cs, Stat]*.

Xu, M., Wang, Z., Zhang, H., Pantazis, D., Wang, H., & Li, Q. *PLOS Computational Biology* (2020). Gaussian embedding-based functional brain connectomic analysis for amnesic mild cognitive impairment patients with cognitive training.

Xu, M., Sanz, D.L., Garces, P., Maestu, F., Li, Q., and Pantazis, D. (2021). A Graph Gaussian Embedding Method for Predicting Alzheimer's Disease Progression With MEG Brain Networks. *IEEE Transactions on Biomedical Engineering* 68, 10.

# Predicting AD using MEG brain networks

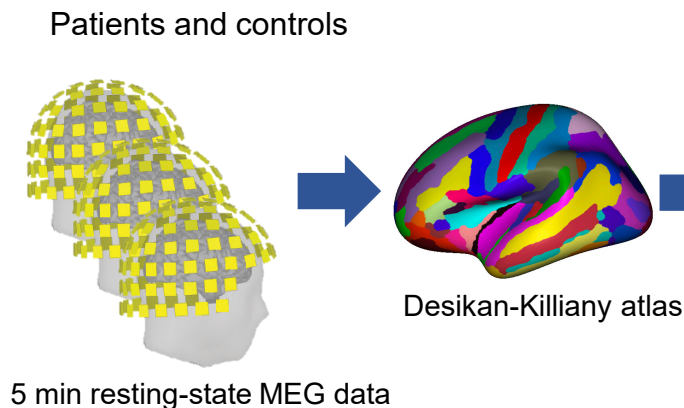
## Participants:

- 76 mild cognitive impairment (MCI) patients (48 stable and 28 progressive)
- 53 age-matched clinically normal subjects (all from the *Madrid cohort* database).

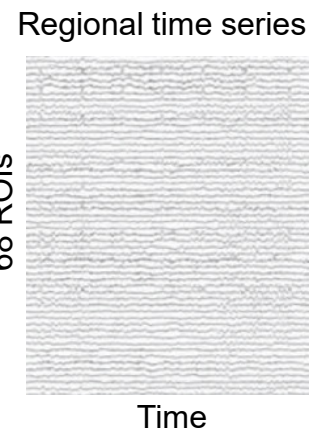
## MEG data:

- 5 minutes of eyes-closed **resting-state data** in a 306-channel MEG system.

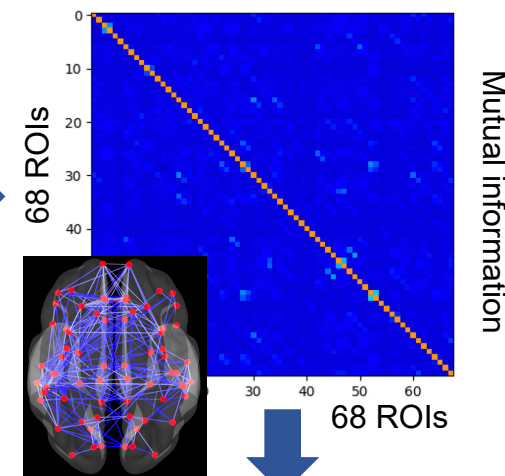
### A. MEG data and preprocessing



### B. Reconstruction of MEG sources



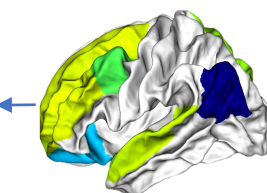
### C. MEG brain



### F. AD progression prediction and quantification of regional effects

Discrimination of groups with supervised learning

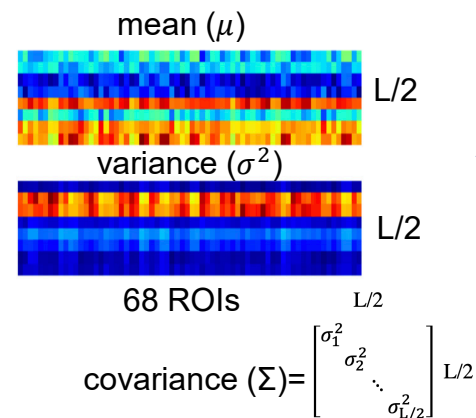
No.	ROI index	Significant ROIs	p < 0.01
1	32	posteriorcentral R	0.0014
2	15	inferotemporal L	0.0014
3	46	posteriorcentral R	0.0014
7	25	precentralgyrus L	0.0010
4	14	basalganglia R	0.0002
5	33	postcentral L	0.0004
8	35	posteriorcentral L	0.0004
7	18	inferotemporal R	0.0004
1	42	posteriorcentral R	0.0004
9	5	caudolateralfrontal L	0.0004
10	47	posteriorcentral R	0.0001
11	40	posteriorcentral R	0.0001
12	40	postcentral R	0.0001
13	11	frontopole L	0.0001
14	41	posteriorcentral R	0.0001
15	55	posteriorcentral L	0.0001
16	54	posteriorcentral L	0.0001
17	37	superiorfrontal L	0.0001



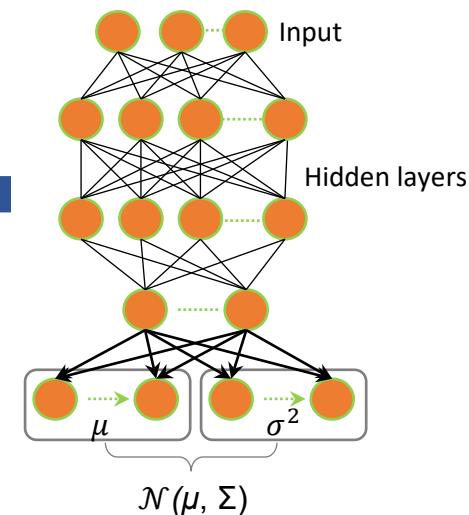
Detection of regional effects with  $W_2$  distance metric

### E. Probabilistic embeddings

Multivariate Gaussian distributions



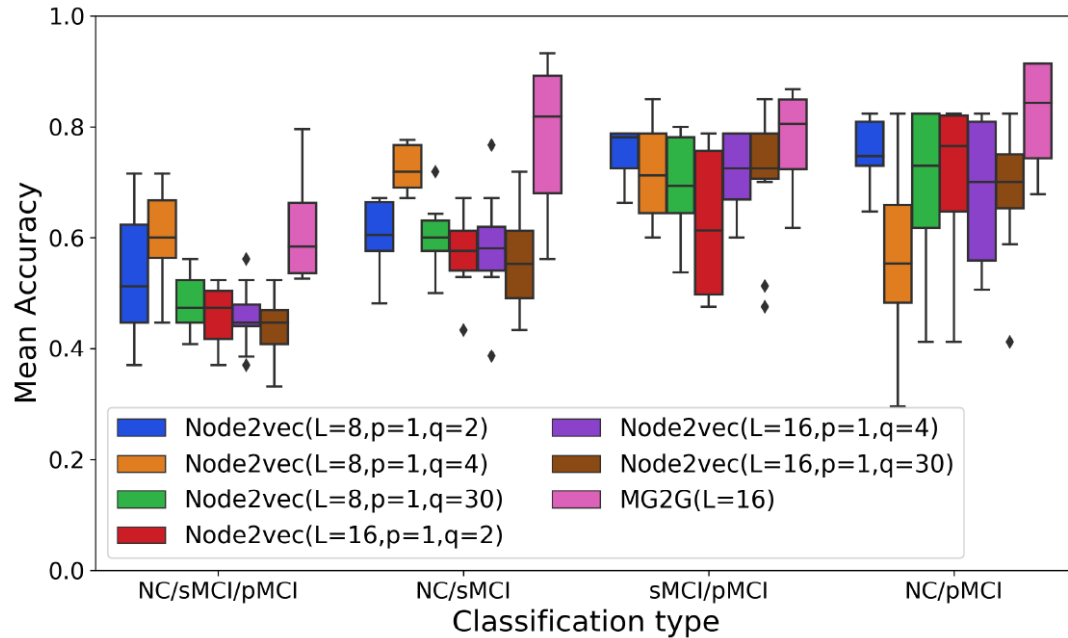
### D. MEG brain network Gaussian embedding





# AD early detection and affected regions

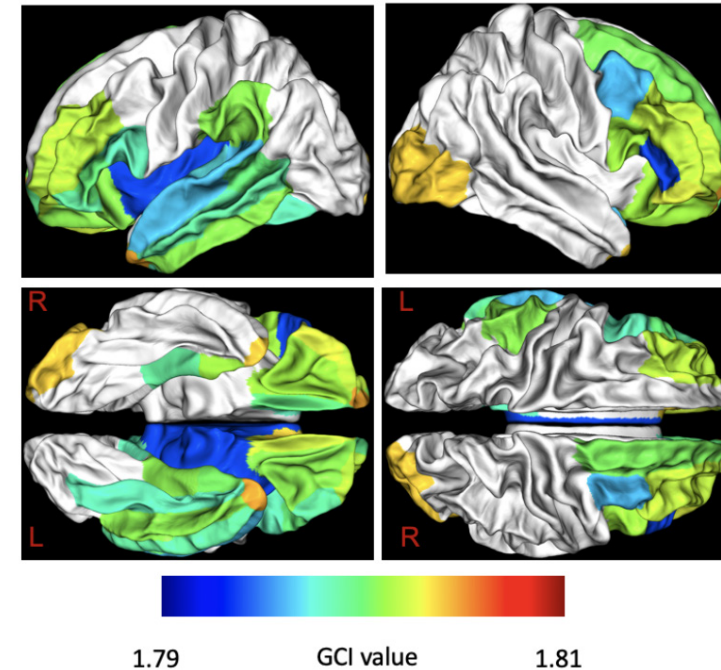
## Supervised classification



Discriminate: Normal controls (NC),  
Stable mild cognitively impairment (sMCI)  
Progressive mild cognitively impairment (pMCI)

**79%** NC/sMCI  
**78%** sMCI/ pMCI  
**82%** NC/pMCI  
**61%** NC/sMCI/pMCI

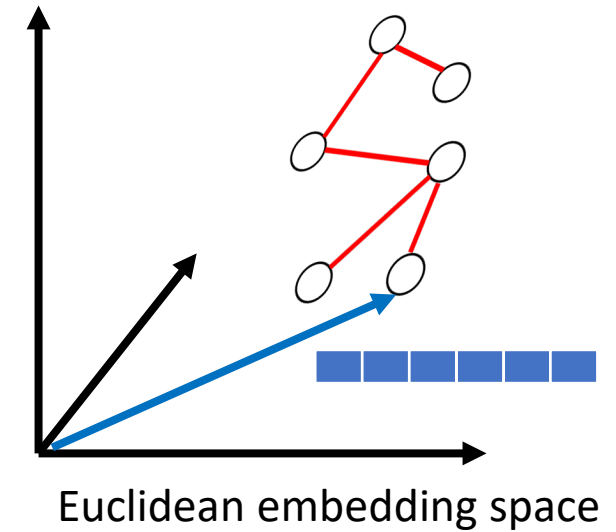
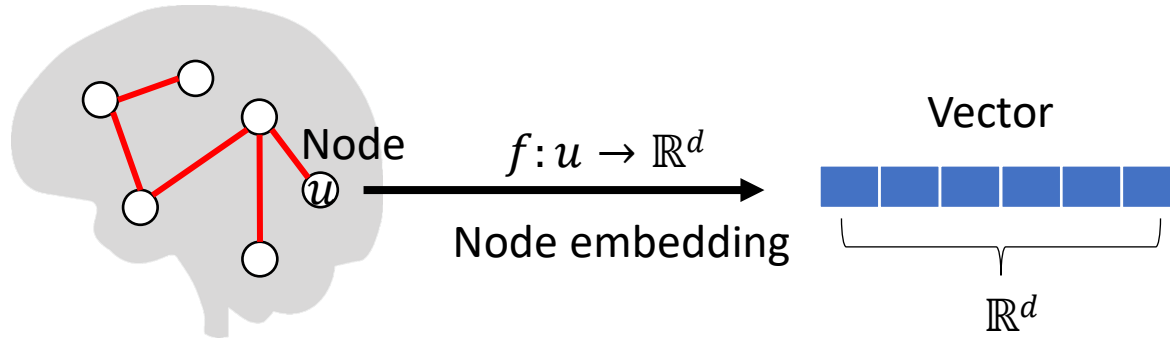
## Brain regions with significant MEG network alterations



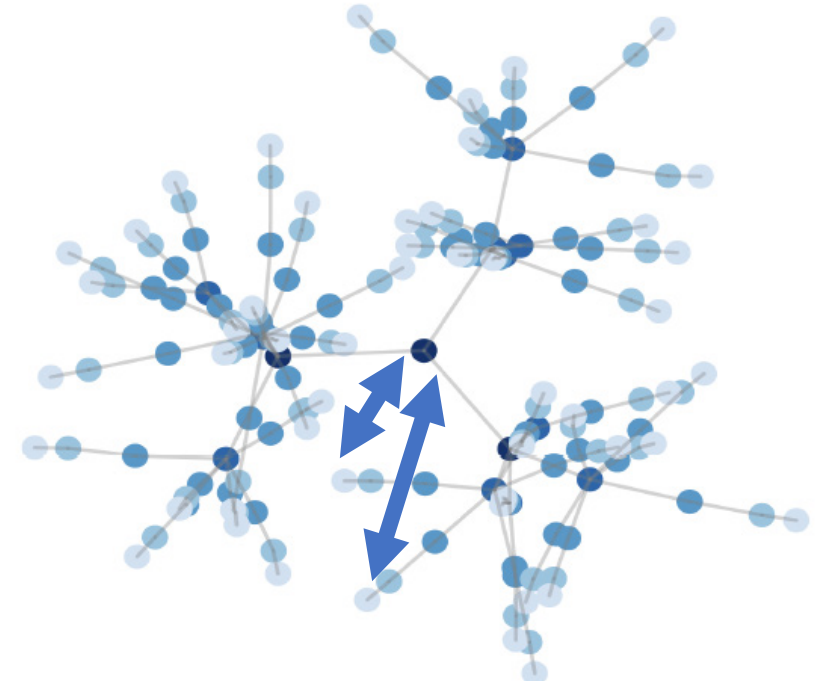
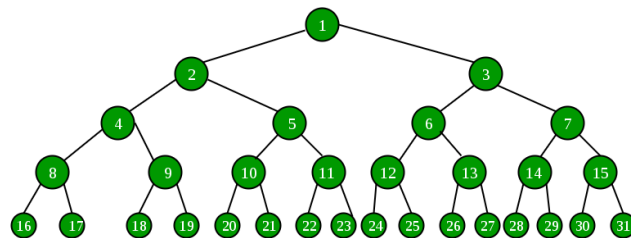
Regions largely include temporal and frontal regions in the cortex, consistent with previous studies using different neuroimaging data.

# Euclidean embeddings are limited for brain networks

## Vector embedding



Brain networks are scale-free graphs  $\Rightarrow$  tree-like structure. The graph volume grows *exponentially* as a function of radius

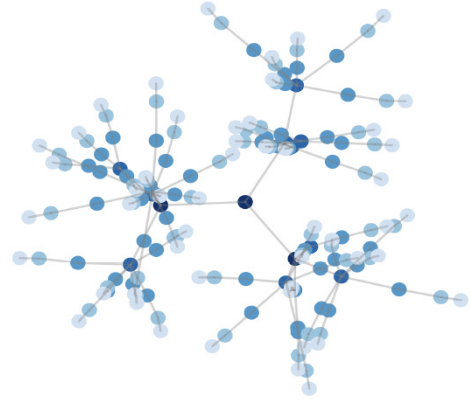


**Graph volume:** number of nodes within some radius to a center node



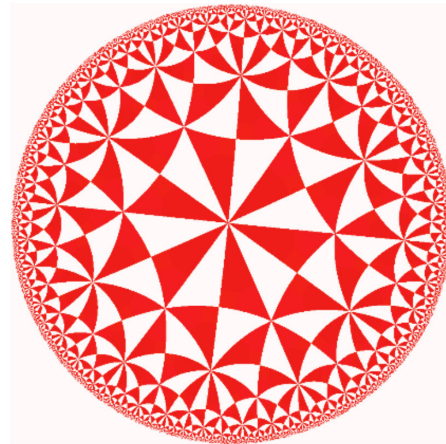
# Hyperbolic embeddings (negative curvature)

Embedding of a tree in **Euclidean space:**

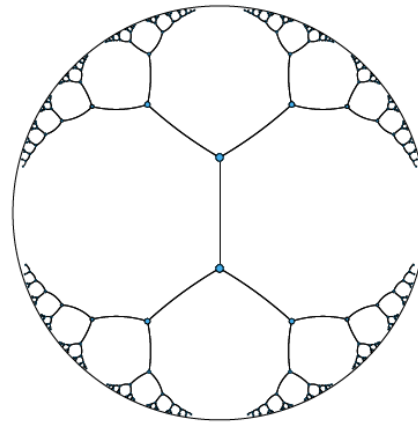


*Polynomial expansion:* Space increases by  $x^2$

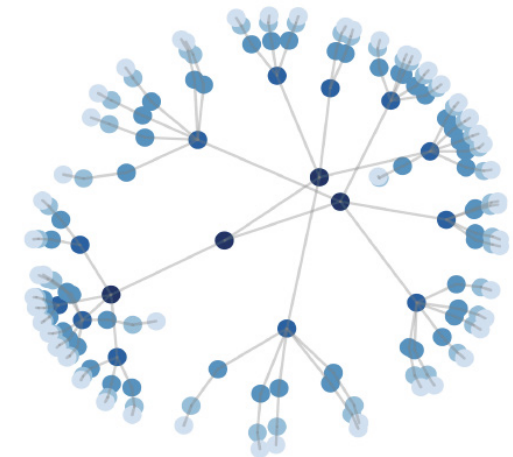
Embedding of tree in **Hyperbolic (Poincaré) space:**



Poincaré model

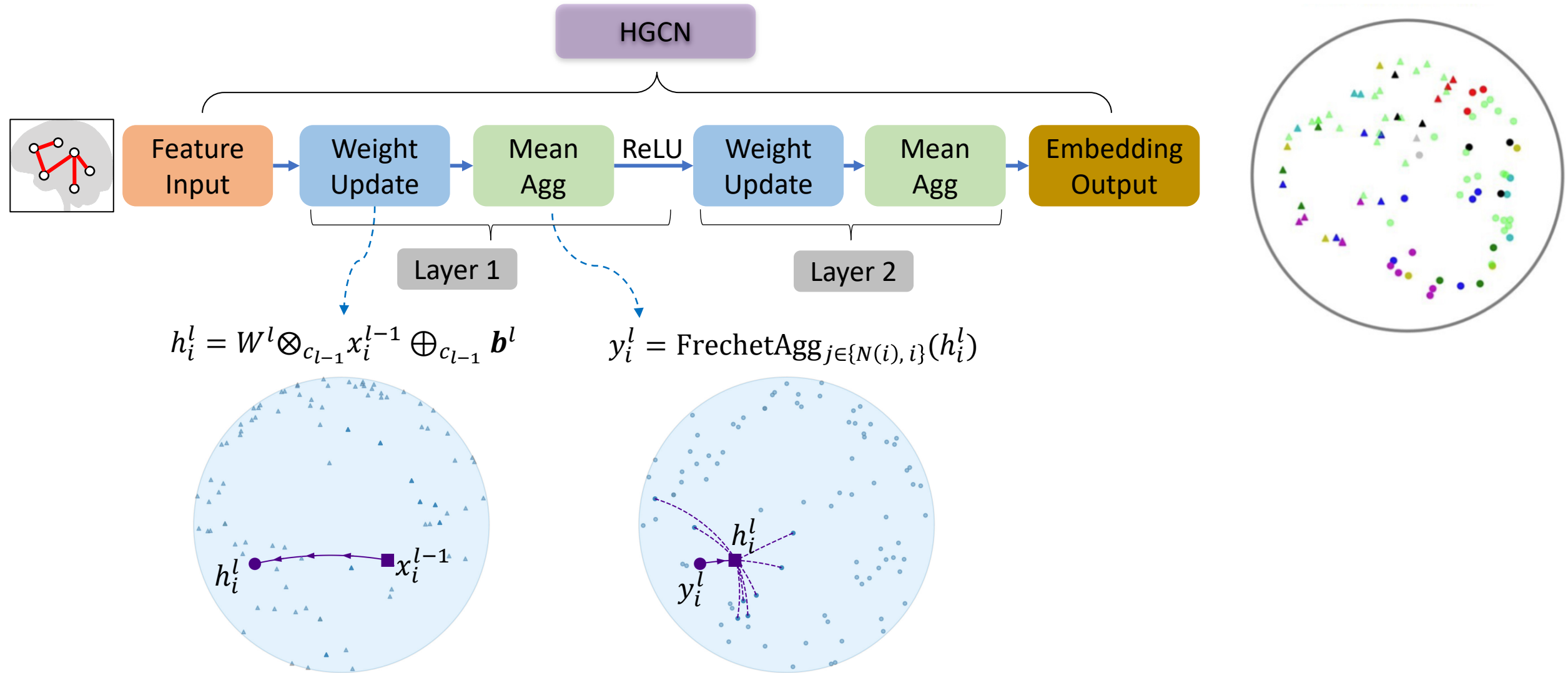


Embedding of tree



*Exponential expansion:* Space increases by  $e^x$

# Hyperbolic graph convolutional network (HGCN)

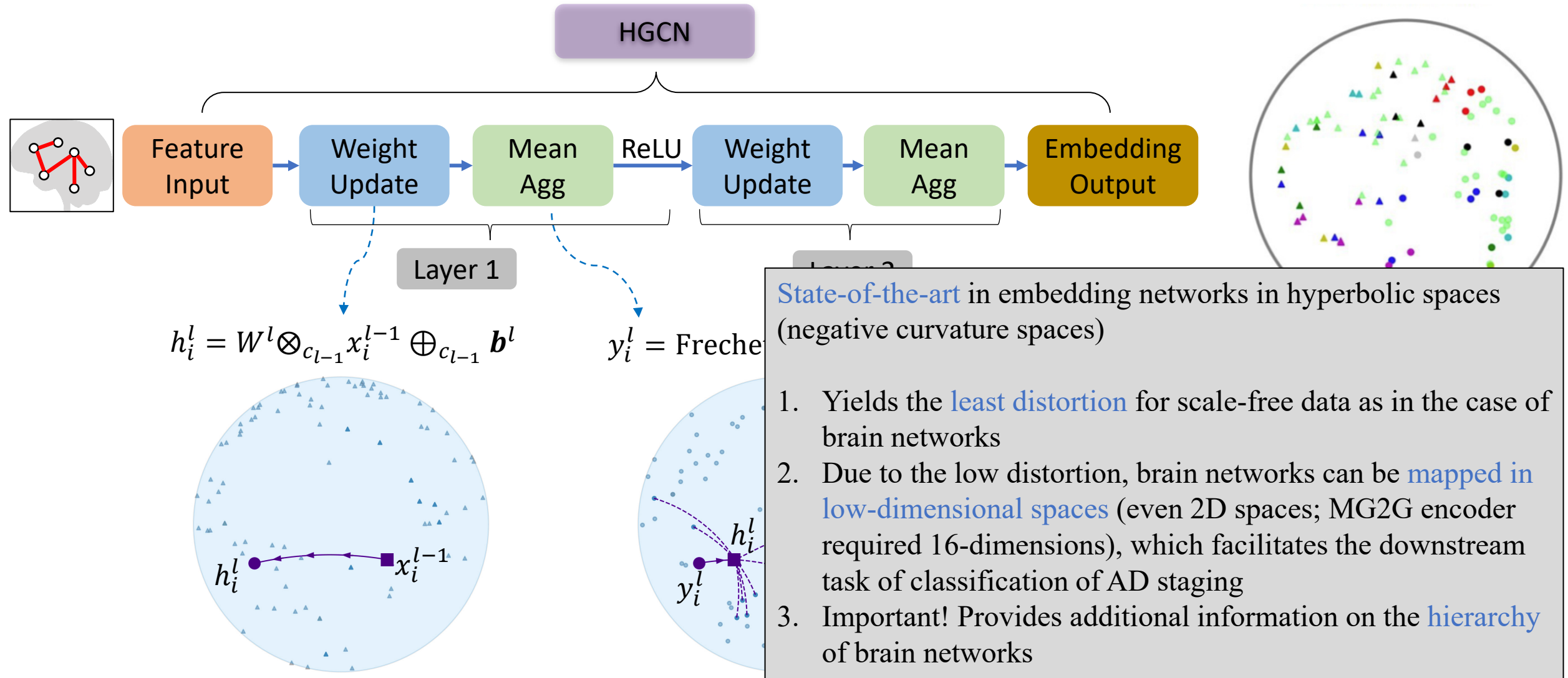


Matrix-Vector Multiplication:  $Wx \rightarrow W \otimes_c x$

Bias Addition:  $x + b \rightarrow x \oplus_c b$



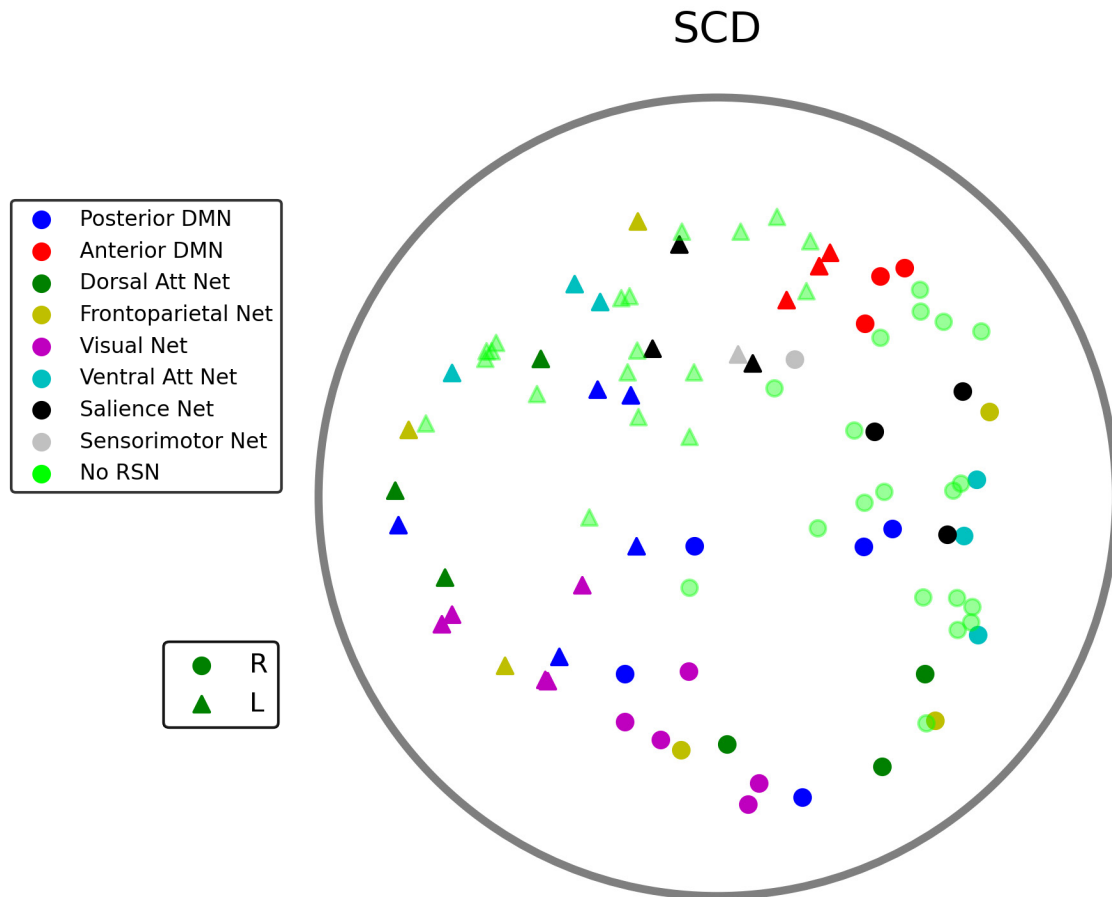
# Hyperbolic graph convolutional network (HGCN)



Matrix-Vector Multiplication:  $Wx \rightarrow W \otimes_c x$

Bias Addition:  $x + b \rightarrow x \oplus_c b$

# Hyperbolic graph embedding of MEG brain networks to study brain alterations in patients with subjective cognitive decline



## Participants:

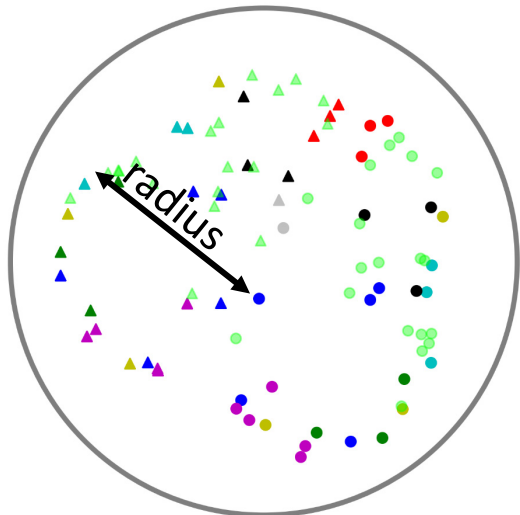
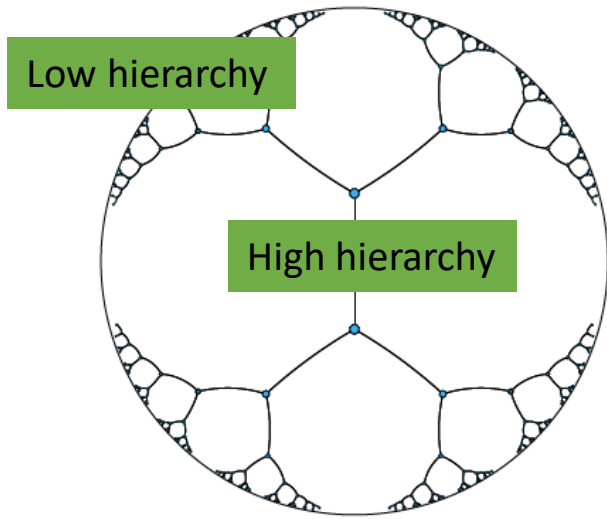
- 25 subjective cognitive decline (SCD) patients
- 19 age-matched clinically normal subjects (all from the *Madrid cohort* database).

## Mean Average Precision (in link prediction task)

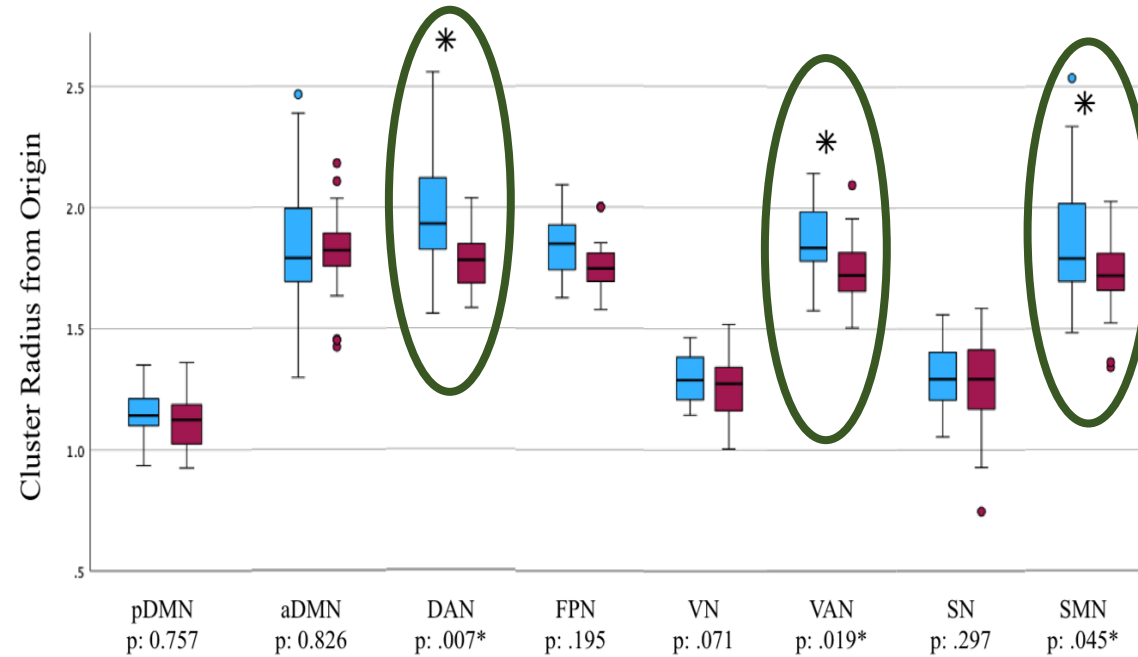
Method	# Embedding dimensions ( $L$ )				
	2	3	4	6	8
GCN (Euclidean)	0.563	0.701	0.791	0.818	0.827
Poincare embedding	0.723	0.748	0.75	0.751	0.755
HGCN (w/ fixed $C = -1$ )	0.799	0.939	0.949	0.951	0.951
HGCN (w/ learned $C$ )	0.828 ( $C=-.98$ )	<b>0.952</b> ( $C=-.58$ )	0.954 ( $C=-.48$ )	0.96 ( $C=-.44$ )	0.964 ( $C=-.52$ )

We chose to use the HGCN with **3 dimensions and learned  $C$** , in order to maximize embedding quality while minimizing dimensionality.

# Subnetwork hierarchy analysis



**Radius of the node embeddings:** A unique metric which effectively proxies the hierarchical organization of the brain.



Resting State Network Summary			
RSN Name	Abrv.	Ex. ROI	ROI Abrv.
Posterior Default Mode Network	pDMN	Precuneus	Precu
Anterior Default Mode Network	aDMN	Cingulate gyrus, Anterior part	ACC
Dorsal Attention Network	DAN	Precentral gyrus	PreCG
Fronto-parietal Network	FPN	Angular gyrus	Ang
Visual Network	VN	Middle Occipital Lobe	MOcCL
Ventral Attention Network	VAN	Inferior Frontal gyrus, Triangular	IFGt
Saliency Network	SN	Amygdala	Amyg
Sensorimotor Network	SMN	Supplementary Motor area	SMA

## Label

- Healthy Controls
- Subjective Cognitive Decline

## Hierarchy alterations:

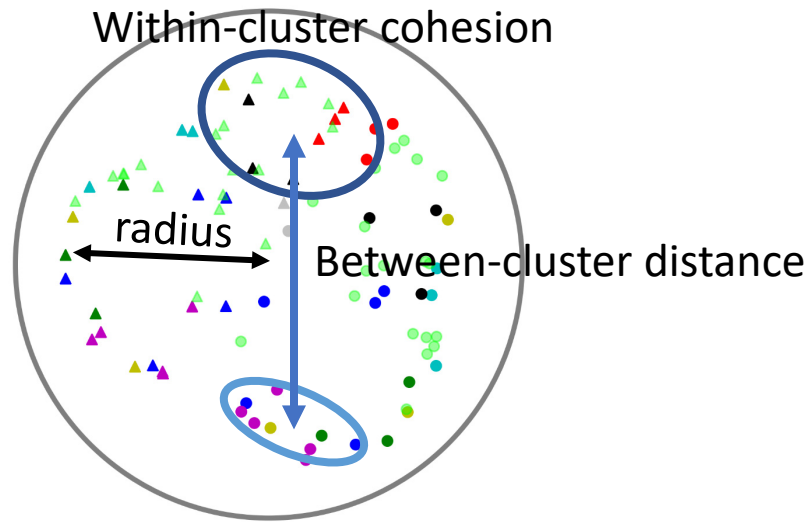
- Participants with SCD had reduced distance from origin (increase in hierarchical centrality) in brain subnetworks: *Dorsal Attention Network (DAN)*, *Ventral Attention Network (VAN)*, *Sensorimotor Network (SMN)*

## Relationship of hierarchy alterations to cognition:

- DAN, VAN, SMN:** Higher hierarchy correlated to higher scores on geriatric depression scale
- SMN:** greater impairment in completing daily functional activities
- DAN:** higher subjective rating of memory failures

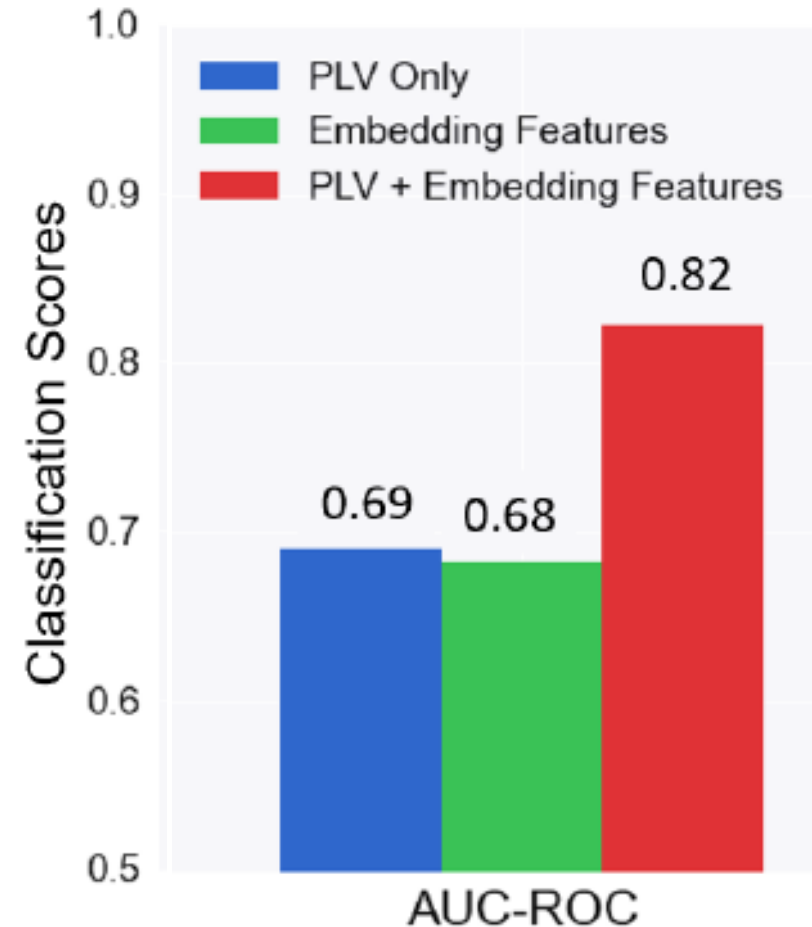


# Predicting SCD using hyperbolic embeddings



Features from hyperbolic embeddings:

- **Radius from Origin** - The average distance from origin for each ROI. The smaller the radius, the more central the RSN is to the network
- **Within Cluster Cohesion** - Average pairwise distance between each node within the same sub-network. Smaller distance signifies a tightly packed network.
- **Between Cluster Distance** - Average pairwise distance between each node in different sub-networks. Smaller distance signifies a tightly linked networks.



Hyperbolic features capture **partially unique features** and improve classification scores over the original PLV features.



NIH/NIA  
1RF1AG074204  
2021-2026  
John Mosher  
Michael Funke  
\$2,050,969

# A low cost ambulatory test for early detection of Alzheimer's disease

## Sample Selection and Enrollment (5-years)

Recruit **200 patients** with amnesic mild cognitive impairment (aMCI) from the Neurocognitive Disorders Center of the McGovern Medical School of UTHealth in Texas.

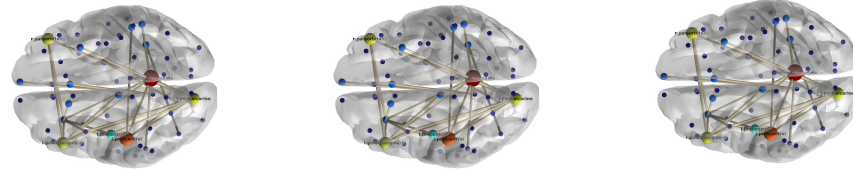
We anticipate an average **17% conversion rate** yearly from aMCI to AD (Luis et al. 2003; Fischer et al. 2007).

## Brain Recordings

Gold standard: Combined 306-channel (**MEG**) and 128-channel wet-electrode **EEG** measurement in magnetically shielded room, using a whole-head MEG system (MEGIN Triux system).

Ambulatory: A 256-channel dry-electrode EEG (**aEEG**).

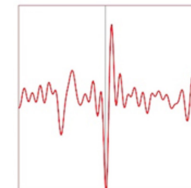
## Functional brain networks



306-channel MEG 128-channel EEG 256-channel aEEG

## Epileptiform activity

Epileptologist team will identify and characterize EA in the MEG/EEG data



# Ongoing work - Discover aging trajectories

## Cambridge Centre for Ageing and Neuroscience (Cam-CAN) dataset

Name	N (Raw) Data
<i>Magnetic Resonance Imaging (MRI) data (conforming to BIDS standard)</i>	
<i>Structural Data</i>	
T1	653
T2	653
Diffusion Weighted Imaging (DWI)	642
Magnetisation Transfer Imaging (MTI)	623
<i>Functional</i>	
Resting State	652
Movie Watching	649
Sensori-motor task	651
<i>Magnetoencephalography (MEG) (conforming to BIDS standard)</i>	
Resting State	647
Sensori-Motor task	647
Sensory (passive) task	639

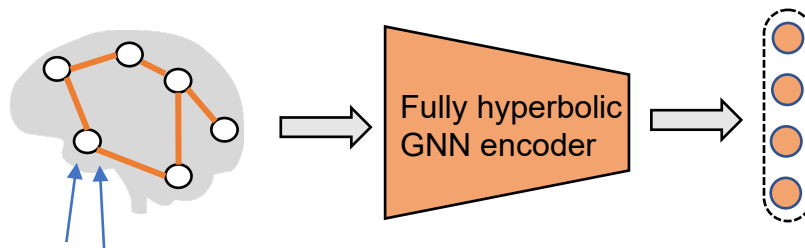
Adapt hyperbolic embedding pipeline to **Cam-CAN** dataset.

Incorporate **cortical thickness** and **neuronal myelination** as node features into brain graphs.

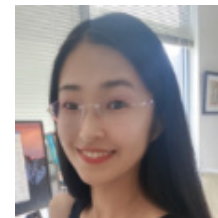
Improve existing HGCN model: convert to **fully hyperbolic** (current models formalize computations in an intermediate tangent Euclidean space, which leads to instabilities and information loss).

$$f^{C_{in}, C_{out}}(x) = \exp^{C_{out}}(f(\log^{C_{in}}(x)))$$

Study which features contribute significantly to aging using the **GNNexplainer**, which identifies important subgraphs (network edges) and features (via a node mask) that contribute to model predictions.



Node attributes: *Cortical thickness,*  
*Neuronal myelination*



Mengjia Xu



Hugo Ramirez

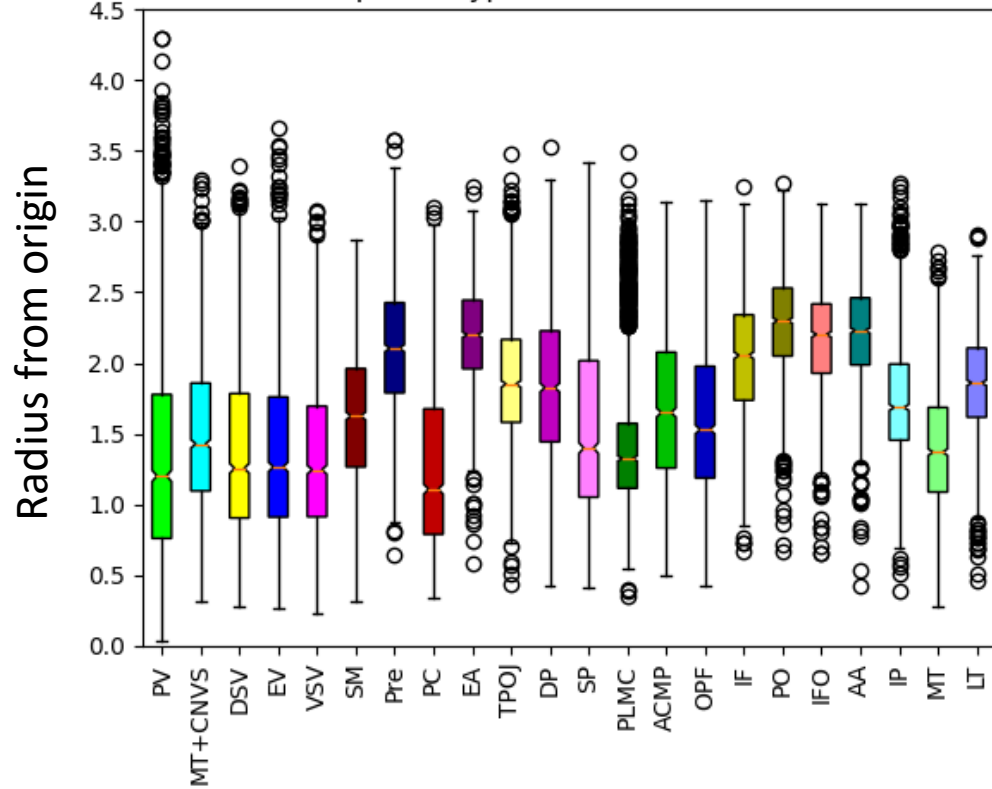


Davide Tabarelli

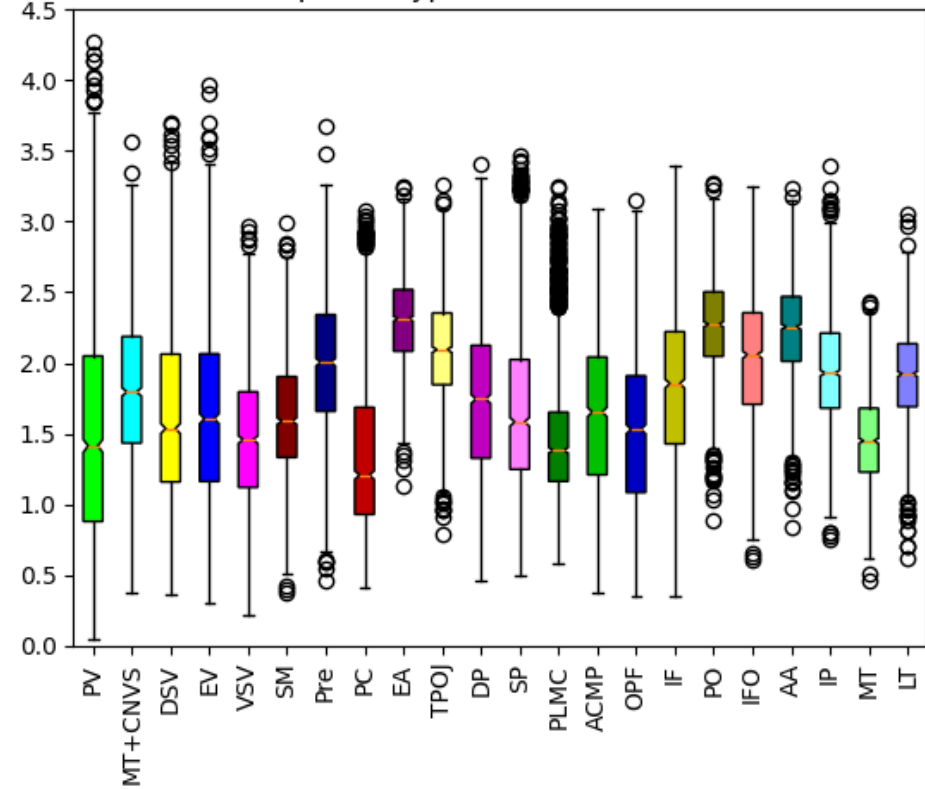


# Hyperbolic embeddings and hierarchy of subnetworks

Box Plot of LEFT Hemisphere Hyperbolic Cluster Radii for Cortex Subregions



Box Plot of RIGHT Hemisphere Hyperbolic Cluster Radii for Cortex Subregions



**PV:** Primary Visual

**MT\_CNVS:** MT+ Complex and Neighboring Visual Areas

**DSV:** Dorsal Stream Visual

**EV:** Early Visual

**VSV:** Ventral Stream Visual

**SM :**Somatosensory and Motor

**Pre:** Premotor

**PC:** Posterior Cingulate

**EA:** Early Auditory

**TPOJ:** Temporo-Parieto Occipital Junction

**DP:** Dorsolateral Prefrontal

**SP:** Superior Parietal

**PLMC:** Paracentral Lobular and Mid Cingulate

**ACMP:** Anterior Cingulate and Medial Prefrontal

**OPF:** Orbital and Polar Frontal

**IF:** Inferior Frontal

**PO:** Posterior Opercular

**IFO:** Insular and Frontal Opercular

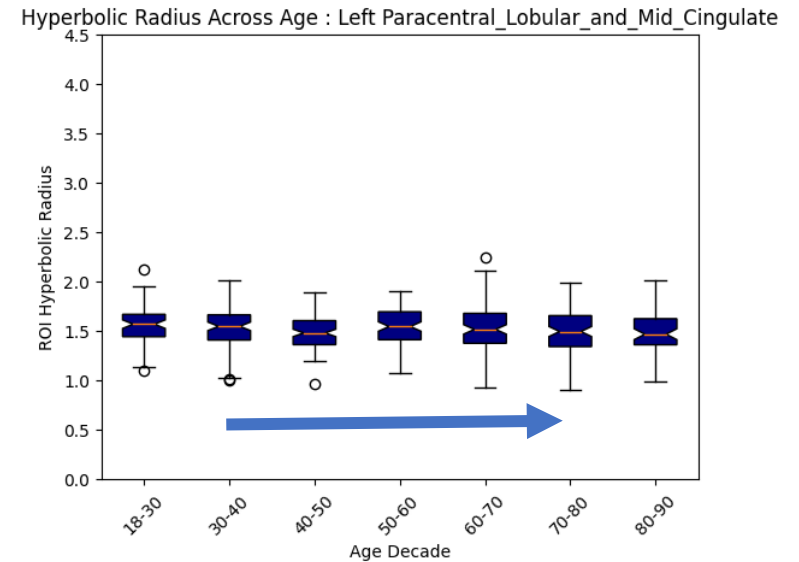
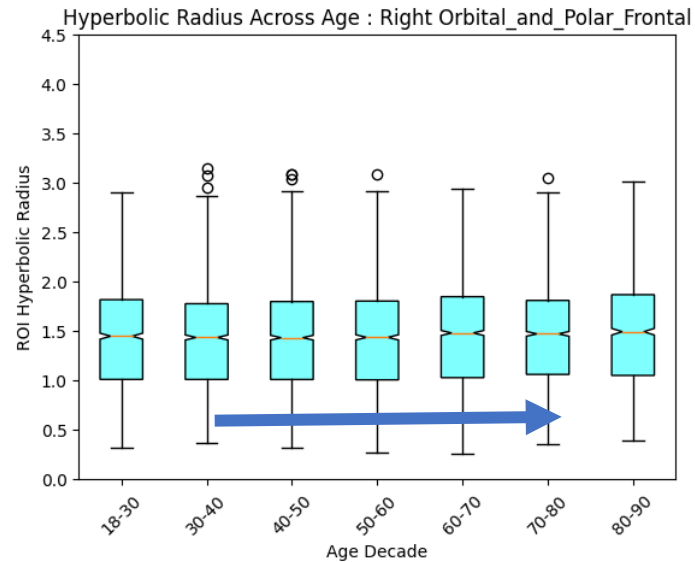
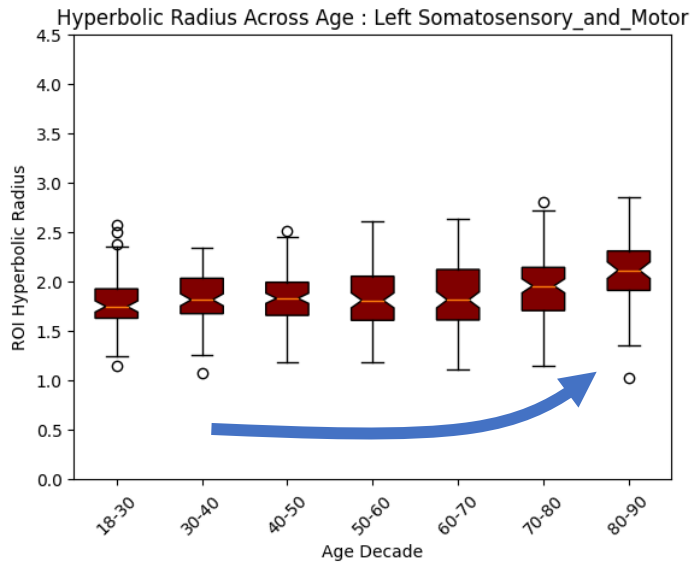
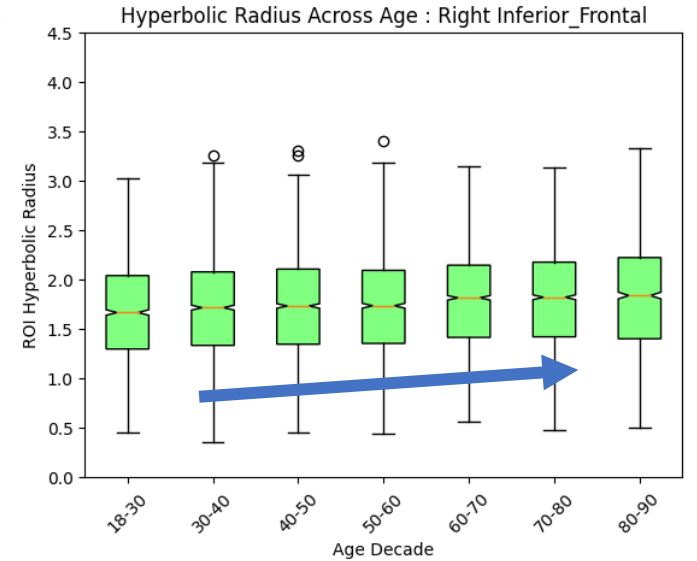
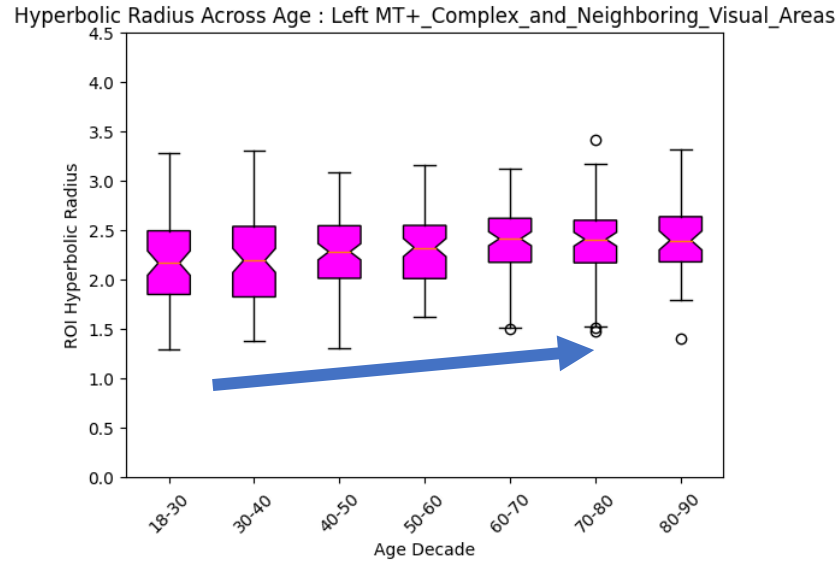
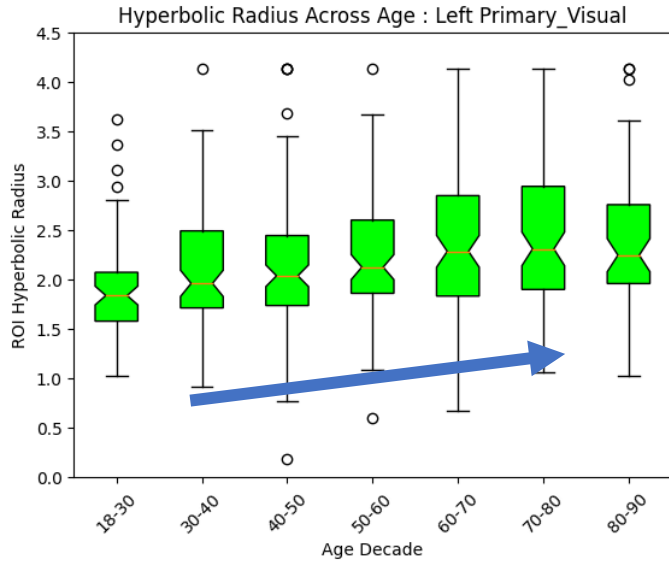
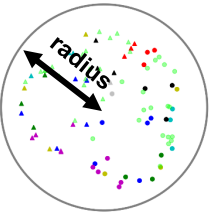
**AA:** Auditory Association

**IP:** Inferior Parietal

**MT:** Medial Temporal

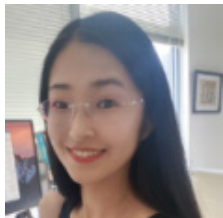
**LT:** Lateral Temporal

# Hierarchy of subnetworks across age



# Acknowledgements

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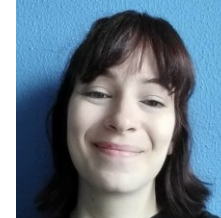


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